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The GCE in a new light: Disentangling the γ-ray sky with Bayesian Deep Learning

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The γ-ray GCE

- γ -ray excess emission peaks at energies ~ 1 3 GeV
- Detected in 2009 by the Fermi Telescope Goodenough & Hooper 2009
- Extends from the Galactic Centre out to ~ 10°
- Seems to be consistent with a generalised NFW profile



The γ-ray GCE

What is the explanation?

annihilating DM?

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Credit: NASA

The γ-ray GCE

How could annihilating DM and PSs be distinguished?



••• (not complete!)

Goodenough & Hooper (2009)

Hooper & Goodenough (2011) Hooper & Linden (2011) Boyarsky et al (2011)

Abazajian & Kaplinghat (2012)

Vitale & Morselli (2009)

Gordon & Macias (2013)

Analysis methods

The most **powerful analysis methods** to date:

1) Non-Poissonian template fitting (NPTF)

- models the sky as a linear combination of templates
- calculates the likelihood for the detected number of counts in each pixel Lee et al. 2015

Mishra-Sharma et al. 2017



Analysis methods

Current analysis methods are subject to systematics



See Bartels et al. 2016, Lee et al. 2016, Leane & Slatyer 2019, Zhong et al. 2019, Chang et al. 2020, Leane & Slatyer 2020 a,b, Buschmann et al. 2020

→ GCE mystery still awaits its resolution!

Milestones in the GCE analysis

We introduce a new method:

- Accurate predictions
- Robust to different sources of mismodelling
- Results hint at a **smooth GCE**

Bayesian Convolutional Neural Networks

Neural network architecture

- We base our NN architecture on the **DeepSphere** framework
- HEALPix sphere is modelled as a graph
 - each **pixel** is represented by a **vertex**
 - neighbouring pixels are connected with an edge



Perraudin et al. 2019 Defferrard et al. 2020

Neural network architecture



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Modelling the inner Galaxy



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Proof-of-concept example

Results on randomly generated maps



- On average, NN accuracy is a bit worse than NPTFit
- But: mean errors are only ~ 0.5% (in comparison: GCE contribution is ~ 4 10%)
- Maximum errors for GCE templates are very similar for NN and NPTFit

Realistic scenario

NN results on **simulated** Fermi maps



Realistic scenario NN results on **real** and simulated Fermi maps



→ NN identifies a GCE that decreases monotonically with the ROI radius

Almost 100% of the GCE flux is attributed to DM

Realistic scenario

NN results on real Fermi map when using different templates

ROI radius: 25°



Experiment	Method	diffuse $\pi^0 + BS$	diffuse IC	isotropic	Fermi bubbles	GCE DM	GCE PS	disk PS
Default	NN NPTFit	$53.8 \pm 1.2 \\ 53.7 \pm 0.7$	27.0 ± 1.9 25.4 ± 1.4	$\begin{array}{c} 0.2 \pm 0.6 \\ 2.3^{+0.9}_{-1.1} \end{array}$	$6.8 \pm 0.6 \\ 5.9 \pm 0.5$	$\begin{array}{c} 8.6 \pm 1.7 \\ 0.2^{+1.4}_{-0.2} \end{array}$	$\begin{array}{c} 0.3 \pm 1.2 \\ 7.4^{+0.6}_{-1.2} \end{array}$	$3.4 \pm 1.9 \\ 5.2 \pm 1.3$
Thick disk	NN NPTFit	$55.1 \pm 1.2 \\ 54.9 \pm 0.6$	$\begin{array}{c} 30.0 \pm 1.6 \\ 29.5 \substack{+0.8 \\ -0.9} \end{array}$	$\begin{array}{c} 0.1 \pm 0.5 \\ 0.3 ^{+0.9}_{-0.3} \end{array}$	$\begin{array}{c} 6.5 \pm 0.6 \\ 6.4 \substack{+0.3 \\ -0.4} \end{array}$	$\begin{array}{c} {\bf 7.8} \pm 1.6 \\ 0.1^{+0.5}_{-0.1} \end{array}$	$\begin{array}{c} 0.3 \pm 1.6 \\ 8.2^{+0.5}_{-0.6} \end{array}$	$\begin{array}{c} 0.1 \pm 1.0 \\ 0.6^{+0.5}_{-0.2} \end{array}$
p6v11	NN NPTFit	87.7 ± 1.2^{a} 88.8 ± 0.6	_	$\begin{array}{c} 0.2 \pm 1.0 \\ 0.0 \substack{+0.2 \\ -0.0} \end{array}$	$6.9 \pm 1.1 \\ 6.4 \pm 0.2$	$\begin{array}{c} 4.7 \pm 1.7 \\ 0.0^{+0.1}_{-0.0} \end{array}$	0.5 ± 1.4 4.2 ± 0.4	$\begin{array}{c} 0.1\pm 0.6\\ 0.9^{+0.5}_{-0.4}\end{array}$
Model A	NN NPTFit	$\begin{array}{c} 47.7 \pm 1.5 \\ 49.4^{+0.7}_{-0.6} \end{array}$	$\begin{array}{c} 39.2 \pm 2.4 \\ 35.7^{+1.2}_{-1.4} \end{array}$	$\begin{array}{c} 0.5 \pm 1.2 \\ 0.1 \substack{+0.7 \\ -0.1} \end{array}$	$5.4 \pm 0.9 \\ 4.9 \pm 0.3$	$\begin{array}{c} 6.7 \pm 1.4 \\ 0.1^{+0.5}_{-0.1} \end{array}$	$\begin{array}{c} 0.2 \pm 1.0 \\ 6.1^{+0.5}_{-0.6} \end{array}$	$\begin{array}{c} 0.4 \pm 1.2 \\ 3.7^{+1.1}_{-1.0} \end{array}$
Model F	NN NPTFit	57.1 ± 1.8 55.5 ± 0.7	$\begin{array}{c} 31.2 \pm 2.7 \\ 25.7 \substack{+1.7 \\ -1.9} \end{array}$	$\begin{array}{c} 1.2\pm1.7\\ 4.7\pm1.1 \end{array}$	$\begin{array}{c} 4.0\pm1.1\\ 3.7\pm0.4\end{array}$	$\begin{array}{c} {\bf 5.6} \pm 2.0 \\ {0.1}^{+0.7}_{-0.1} \end{array}$	$\begin{array}{c} 0.6 \pm 1.8 \\ 4.6^{+0.5}_{-0.7} \end{array}$	$\begin{array}{r} 0.2 \pm 0.9 \\ 5.8^{+1.2}_{-1.1} \end{array}$
North only	NN	63.0 ± 2.2	22.4 ± 2.4	0.1 ± 0.5	6.8 ± 1.2	5.2 ± 3.1	1.9 ± 3.1	0.6 ± 1.2
South only	NN	52.8 ± 2.3	28.4 ± 2.7	1.4 ± 1.4	6.7 ± 0.9	8.1 ± 1.7	0.2 ± 1.3	2.4 ± 2.7

 $^{\rm a}$ For the diffuse model p6v11, the two diffuse flux components are described by a single template.

- For diffuse templates, isotropic emission, and Fermi bubbles: NN and NPTFit estimates are mostly similar
- Total GCE magnitudes are mostly similar, too, but NN consistently assigns flux to DM template, whereas NPTFit finds ~ 100% PSs in all the scenarios

How to proceed from here?

- Uncertainties should fully reflect the error distribution, in particular the inherent degeneracy between faint PSs ↔ DM
 - \rightarrow non-Gaussian uncertainties



Instead of only estimating PS / DM flux fractions:



- Many **extensions** are possible:
 - Multiple energy bins, multiple template variants, ...

Conclusions



- Deep Learning provides powerful tools for analysing the γ-ray sky
- NN estimates are mostly accurate
- Our first experiments show **robustness** against **mismodelling**
- Our NN prefers a smooth origin of the GCE, but faint PSs may be underestimated / confused with DM
- Potential for the GCE mystery to be resolved within the coming years with the help of Deep Learning







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